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# Counting in infinite measure

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## Abstract

Let  $X$  be a Hadamard manifold of dimension  $\geq 2$  with sectionnal curvature pinched between two negative constants. We consider the action of some discrete group  $\Gamma$  of positive isometries of  $X$ , torsion free and acting properly and discontinuously on  $X$ . These exotic groups enable us to work in the context of manifolds  $X/\Gamma$  with infinite measure. We will investigate two problems: the first concerns the asymptotic behavior of the orbital function  $N_\Gamma$  of  $\Gamma$ . The second is to find an asymptotic to the number  $N(R)$  of primitive closed geodesics on  $X/\Gamma$  with length smaller than  $R$ . After an introduction of main notations, we will present a coding of the unit tangent bundle  $T^1X/\Gamma$  which allows us to write the previous quantities  $N_\Gamma$  and  $N(R)$  as sums of iterates of some perturbation of a transfert operator. Finally we will explain how to deduce the results using some spectral properties of this operator.

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